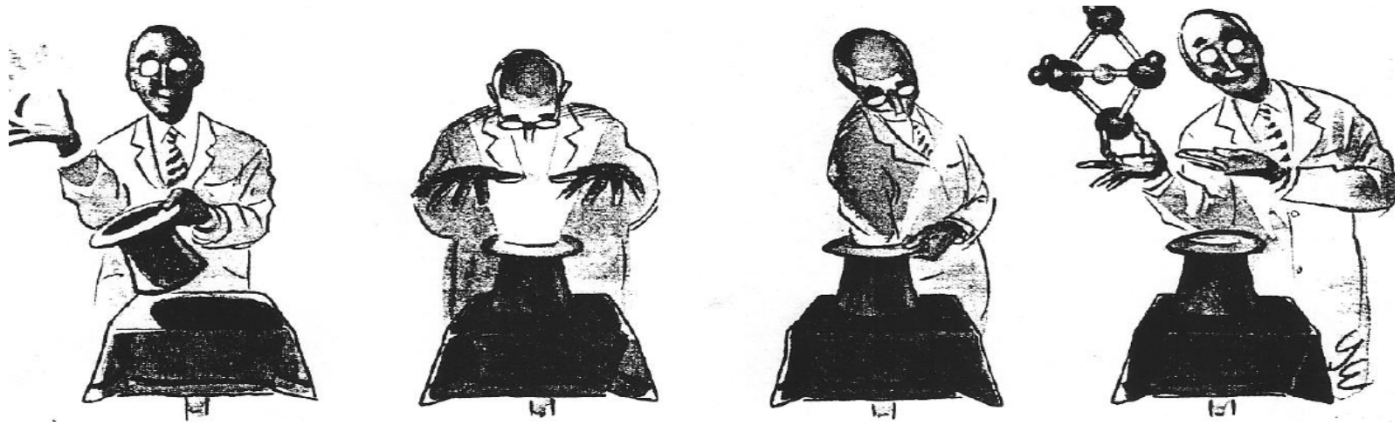


Kirk conjures Matter from Light



Pair creation in photon-photon
inelastic scattering

Princeton - Rochester - SLAC – Tennessee

June 17, 2016

D.L. Burke *et al.*, PRL 79. 1626 (1997)

C. Bamber *et al.*, Phys. Rev. D 60, 090024 (1999)

How it all started

DOE/ER/3072-38

September 2, 1986

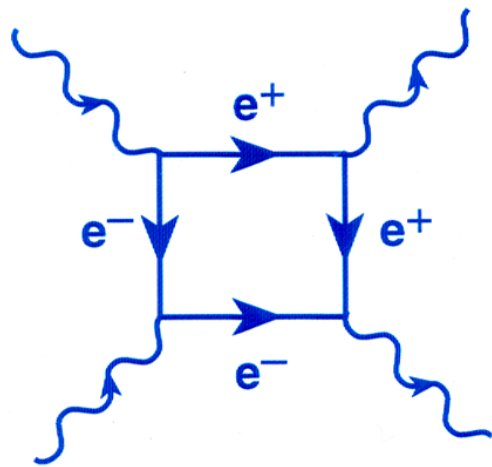
DRAFT

PROPOSAL FOR EXPERIMENTAL STUDIES OF NONLINEAR QUANTUM ELECTRODYNAMICS

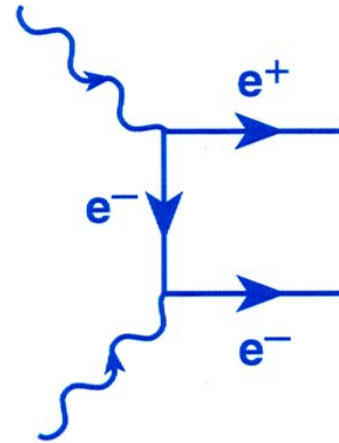
K.T. McDONALD

Princeton University

The Physics of photon-photon scattering

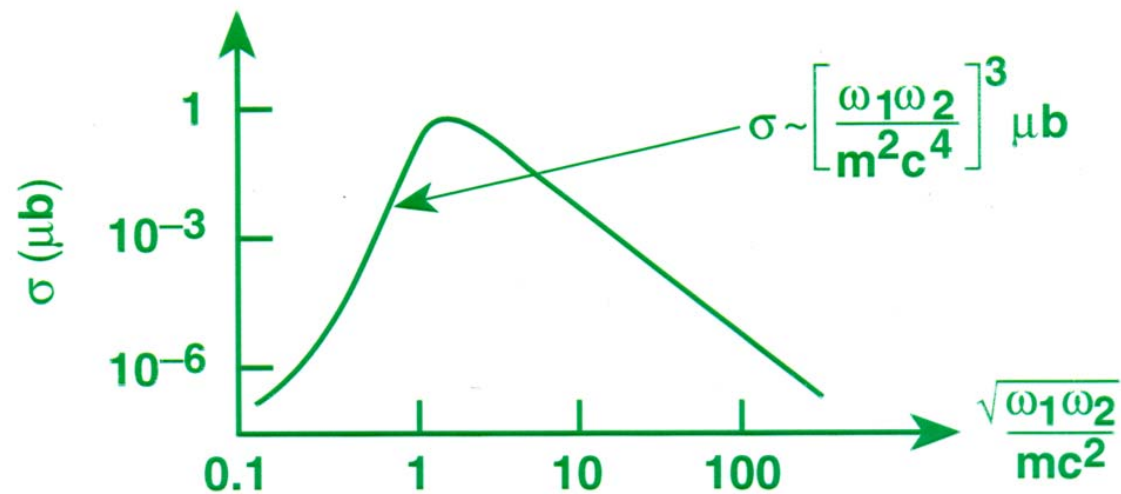


Delbrück



Breit-Wheeler

$$4\omega_1\omega_2 > (2mc)^2$$



Need High Energy Photons: obtain by backscattering the laser photons from highly relativistic electrons

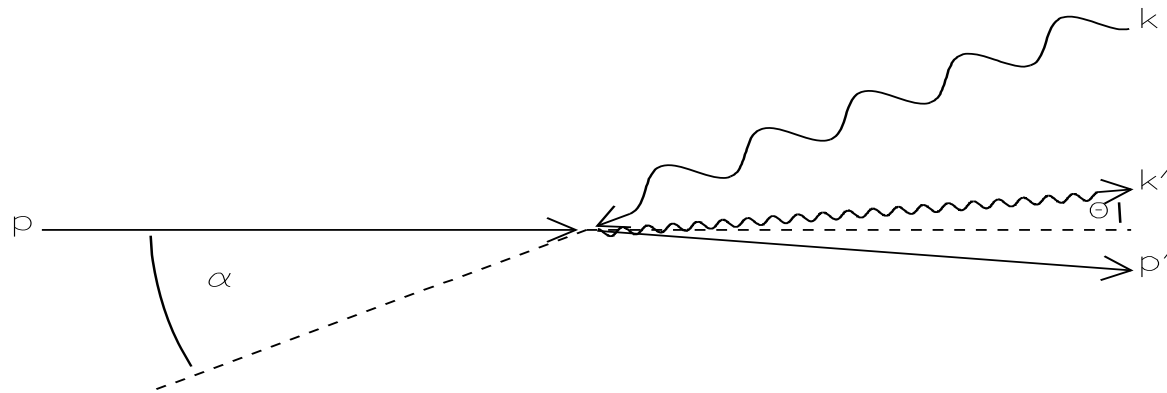
ω = incident photon frequency $\hbar\omega = 2.34$ eV

ω' = scattered photon frequency $\hbar\omega' = 27$ GeV

$\gamma = E_e / mc^2$ normalized electron energy 9×10^4

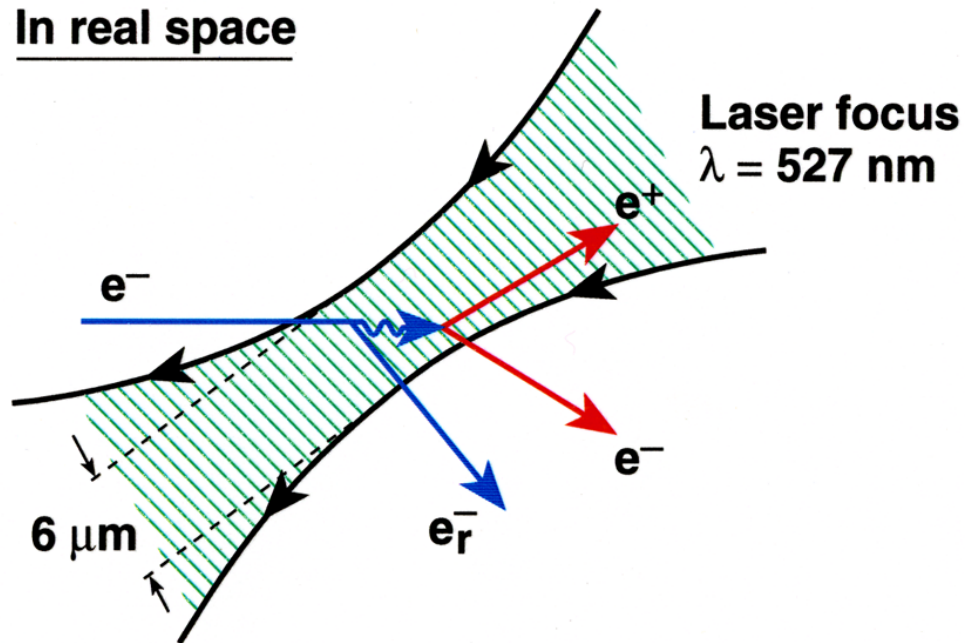
$$\omega'_{\max} = 4 \gamma^2 \omega / [1 + 4 \gamma \hbar \omega / mc^2] \approx 27 \text{ GeV}$$

In these conditions the recoil term, $2\gamma\hbar\omega/mc^2 \approx 1$
therefore we speak of Compton scattering

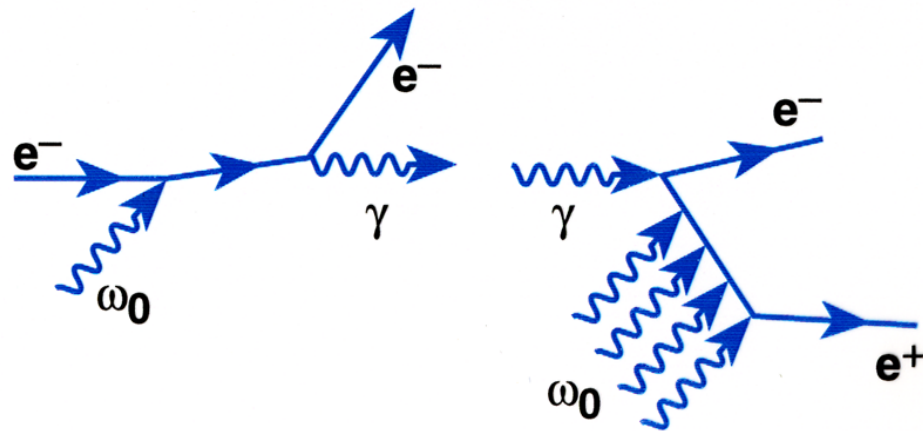


Experiment to demonstrate the nonlinear properties of the vacuum

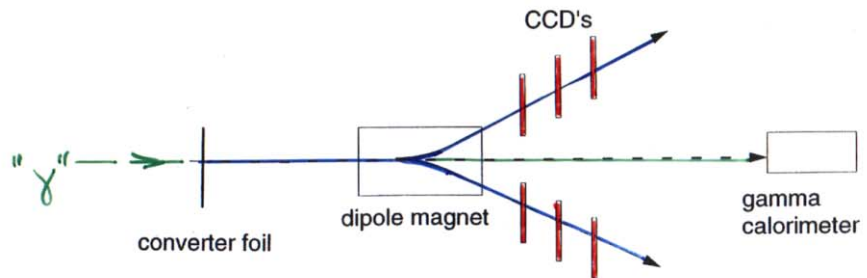
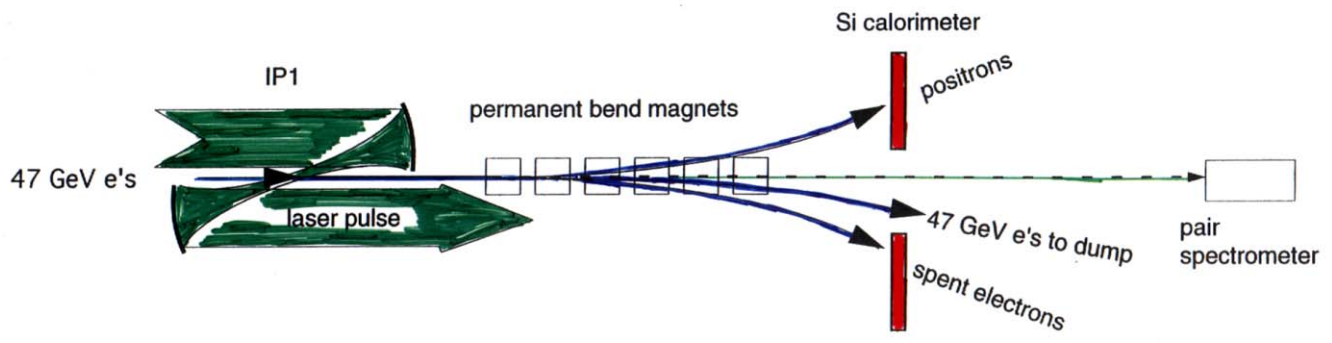
In real space



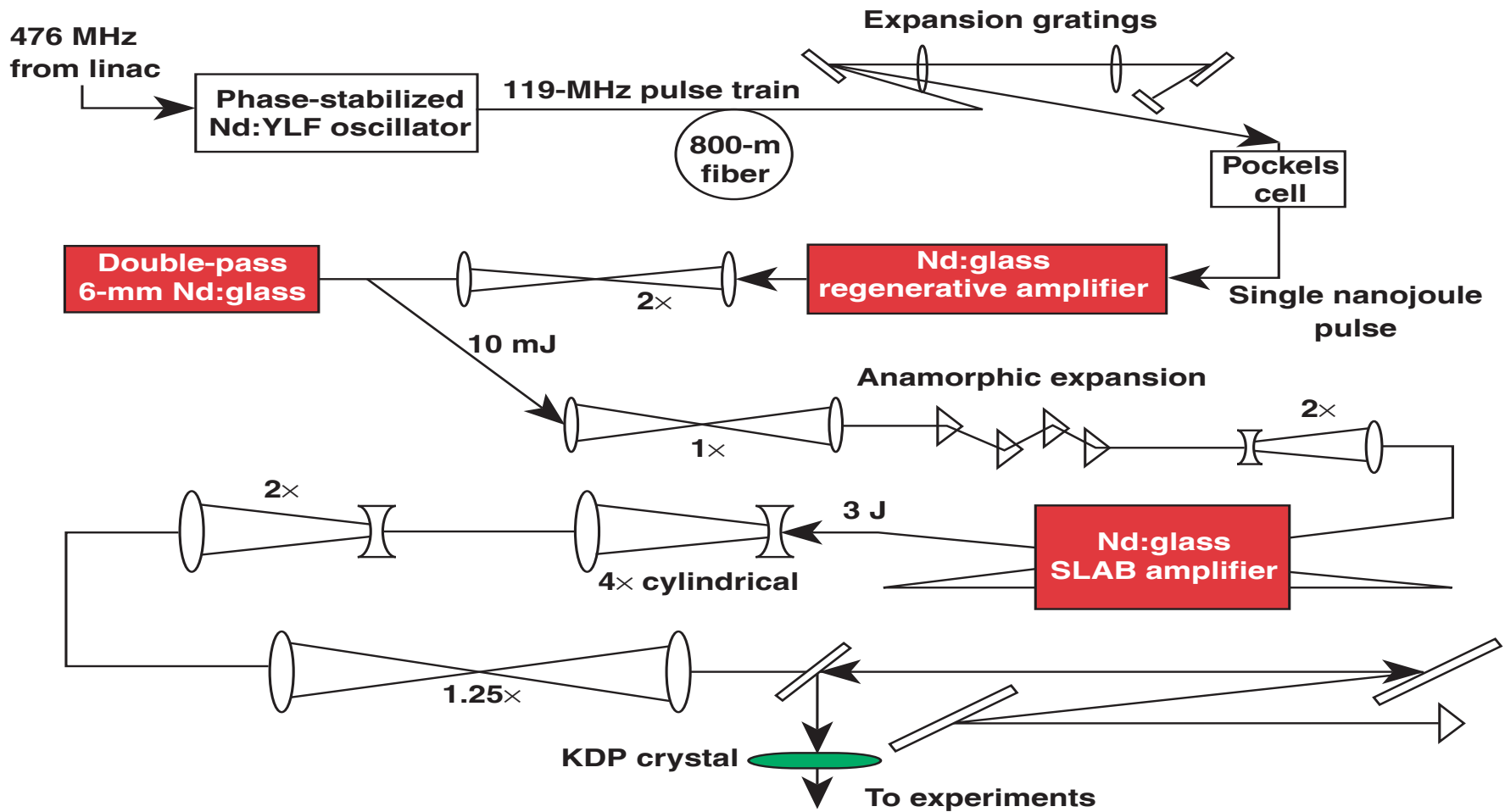
Feynman graphs



LAYOUT OF THE EXPERIMENT



THE LASER SYSTEM



LASER PULSE PARAMETERS

$$\lambda = 527 \text{ nm} \rightarrow \hbar\omega = 2.34 \text{ eV}$$

$$U = 1 \text{ J} \quad \tau_{\text{FWHM}} = 1.7 \times 10^{-12} \text{ s} \quad \text{Area} = 30 \text{ } \mu\text{m}^2$$

Derived properties

Terawatt laser

$$\text{Power} = 0.6 \times 10^{12} \text{ W}$$

$$\text{Intensity} = 2 \times 10^{18} \text{ W/cm}^2$$

$$E = 3.9 \times 10^{10} \text{ V/cm}$$

$$\rho = 1.8 \times 10^{26} \text{ photons/cm}^3 !$$

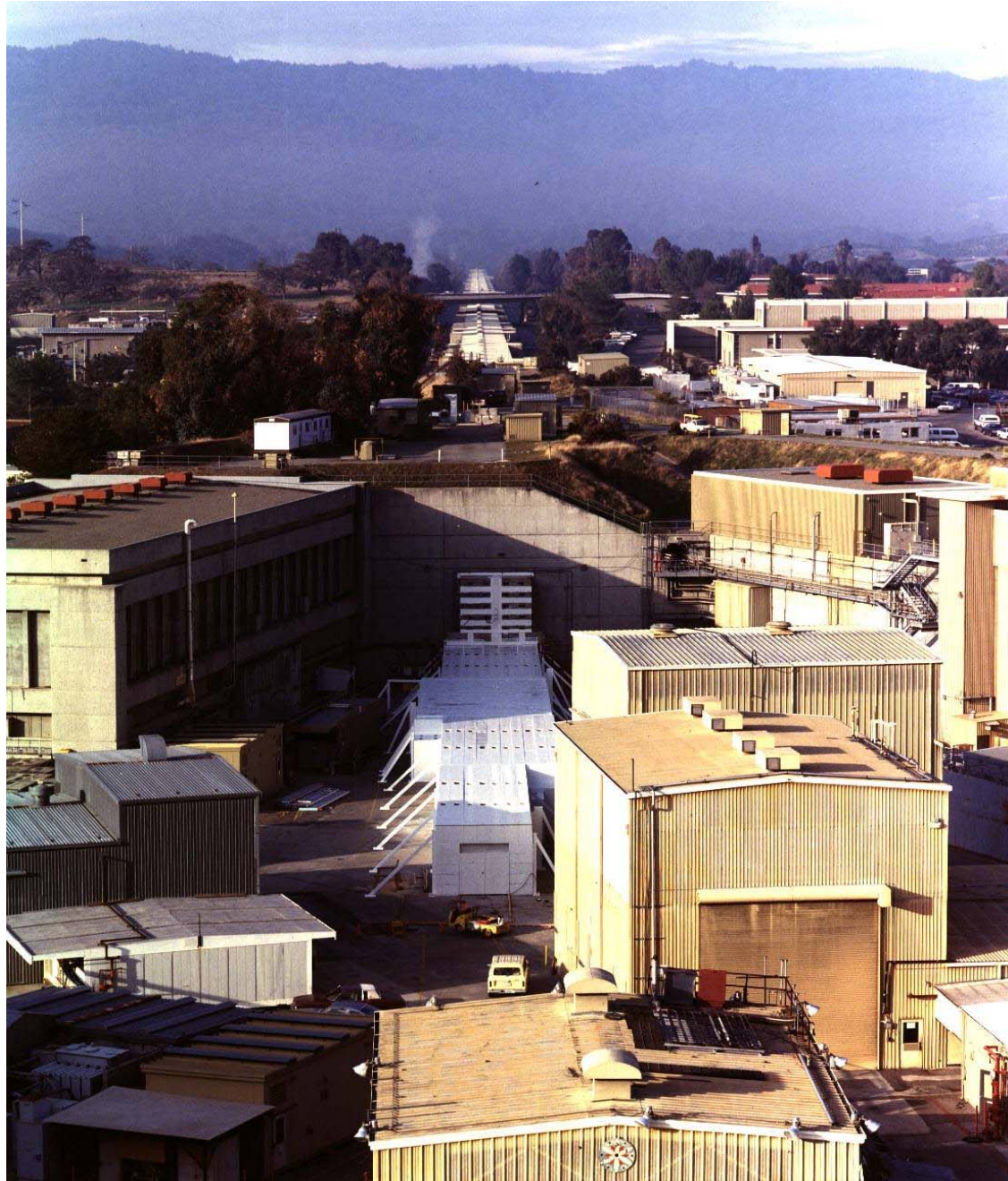
ELECTRON BEAM PARAMETERS

$$E_e = 46.6 \text{ GeV}$$

$$N = 5 \times 10^9 \text{ electrons/pulse}$$

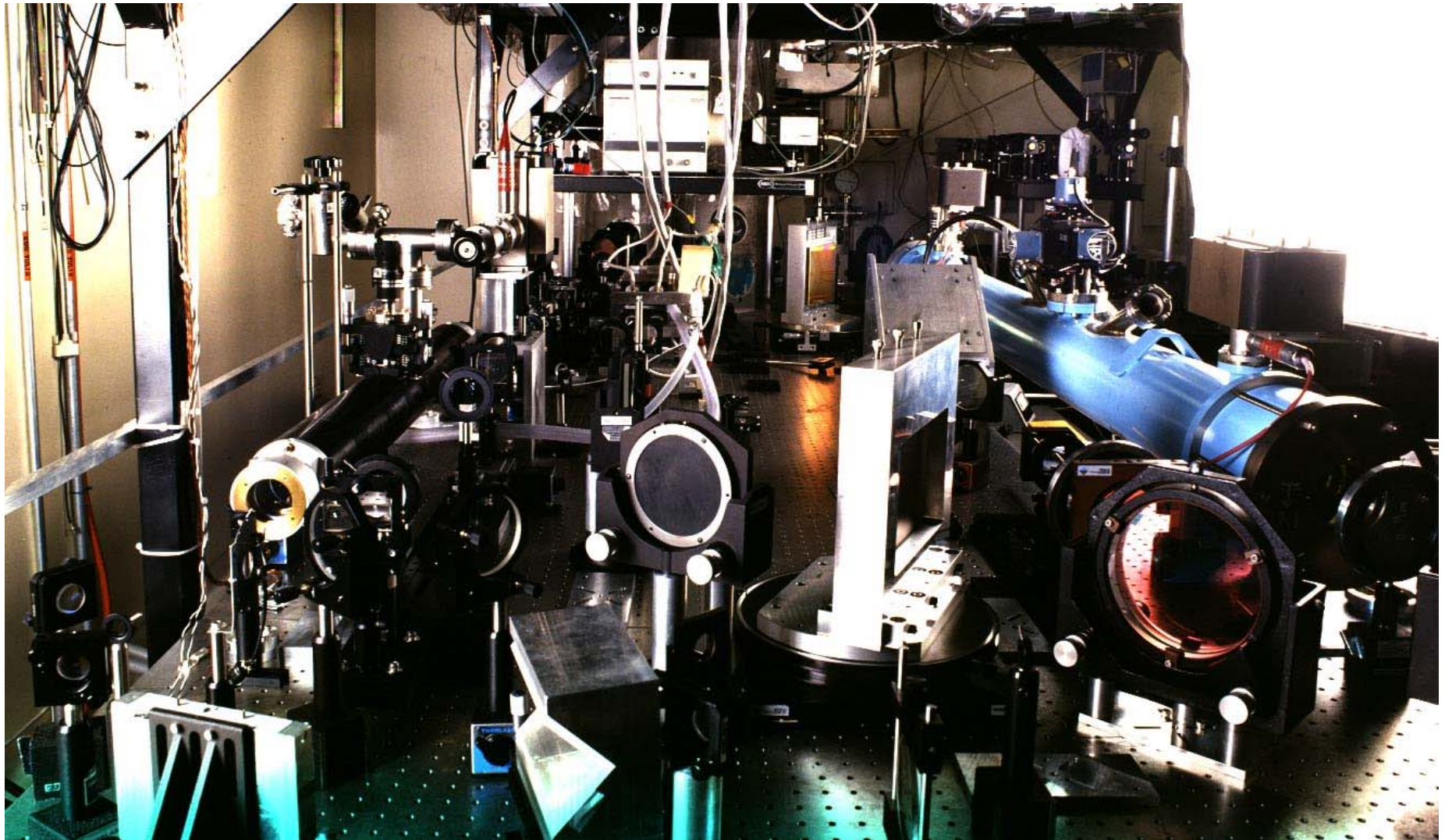
$$\sigma_x = \sigma_y = 60 \text{ } \mu\text{m} \quad \sigma_z = 0.5 \text{ mm} \rightarrow \tau_{\text{FWHM}} = 4 \text{ ps}$$

Final Focus Test Beam in the SLAC Switchyard

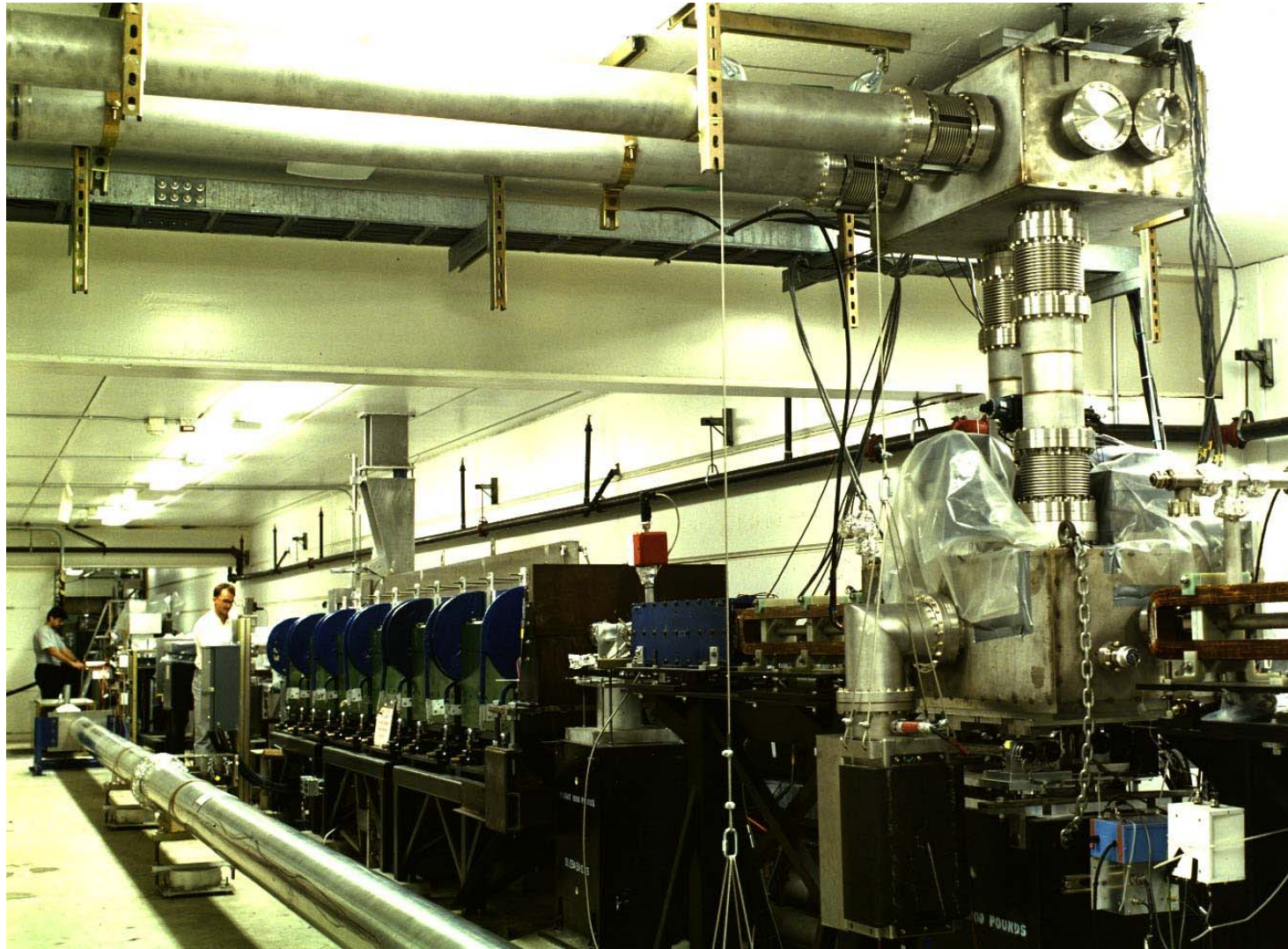


LAST STAGE OF THE LASER SYSTEM

Slab amplifier and compression gratings

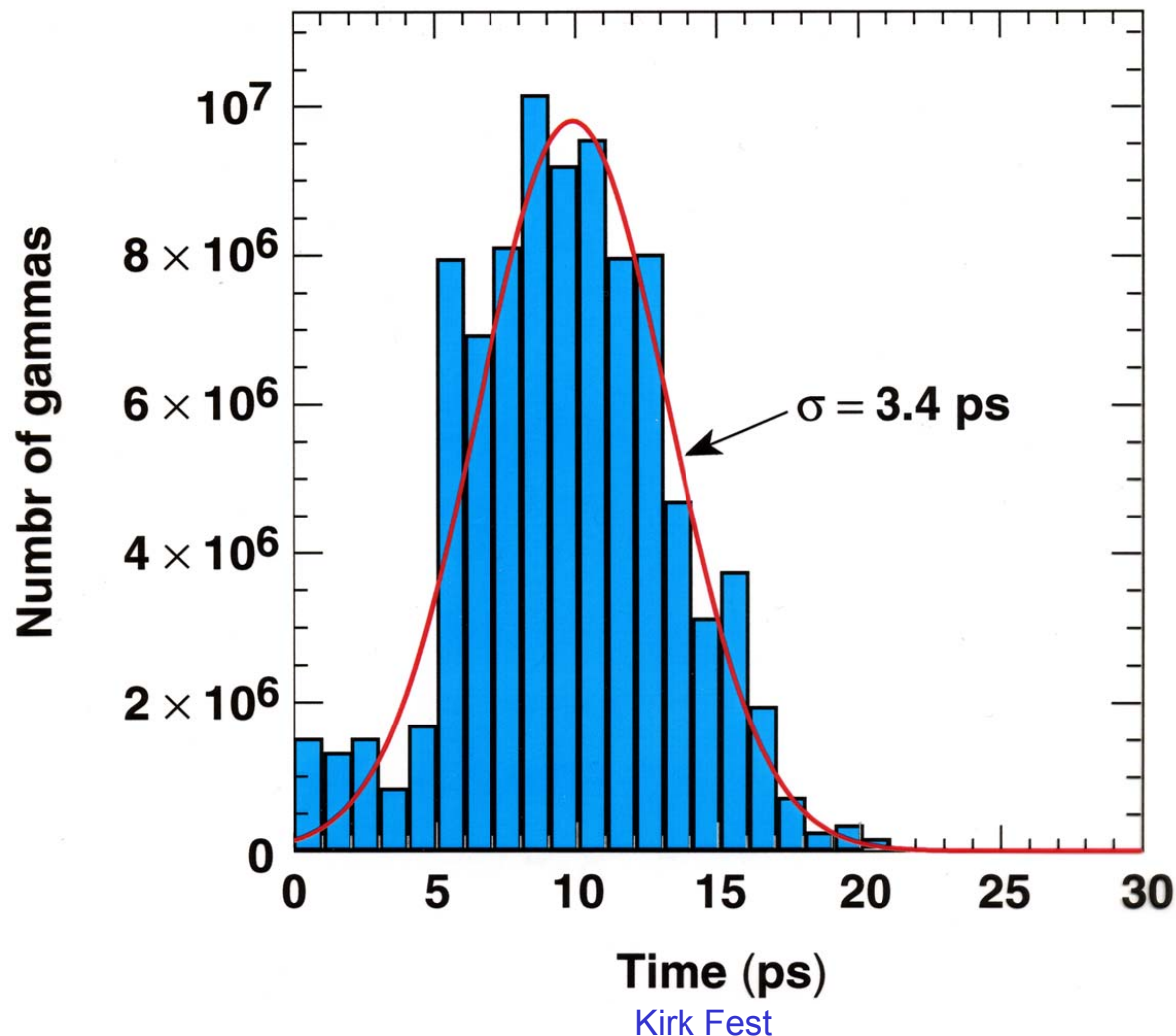


THE ELECTRON BEAM LINE and the LASER-e⁻ INTERACTION CHAMBER



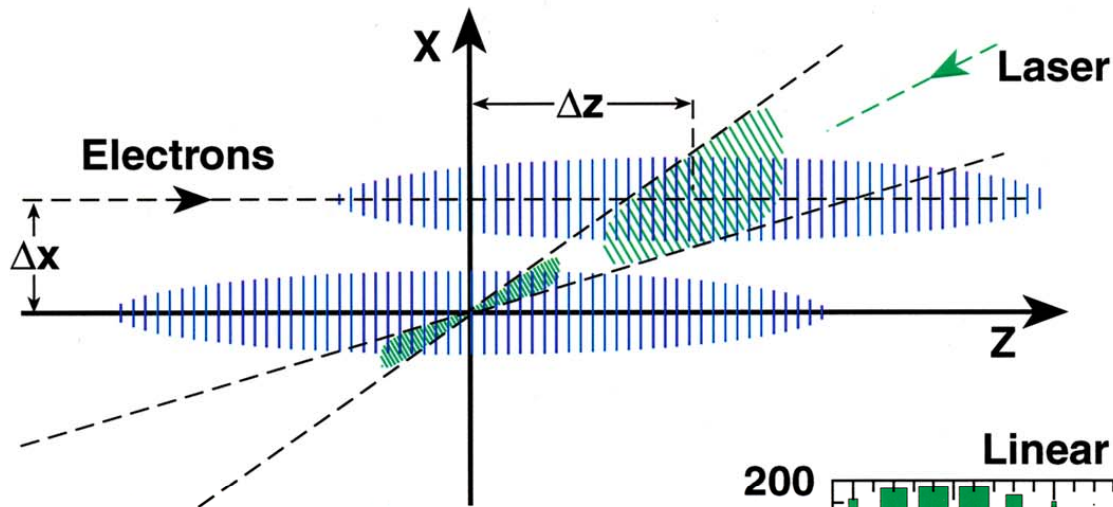
Overlap in time (synchronization) of LASER and ELECTRON pulses

- Use a subharmonic of the accelerator frequency (2856 MHz) to drive the laser modelocker (119 MHz).

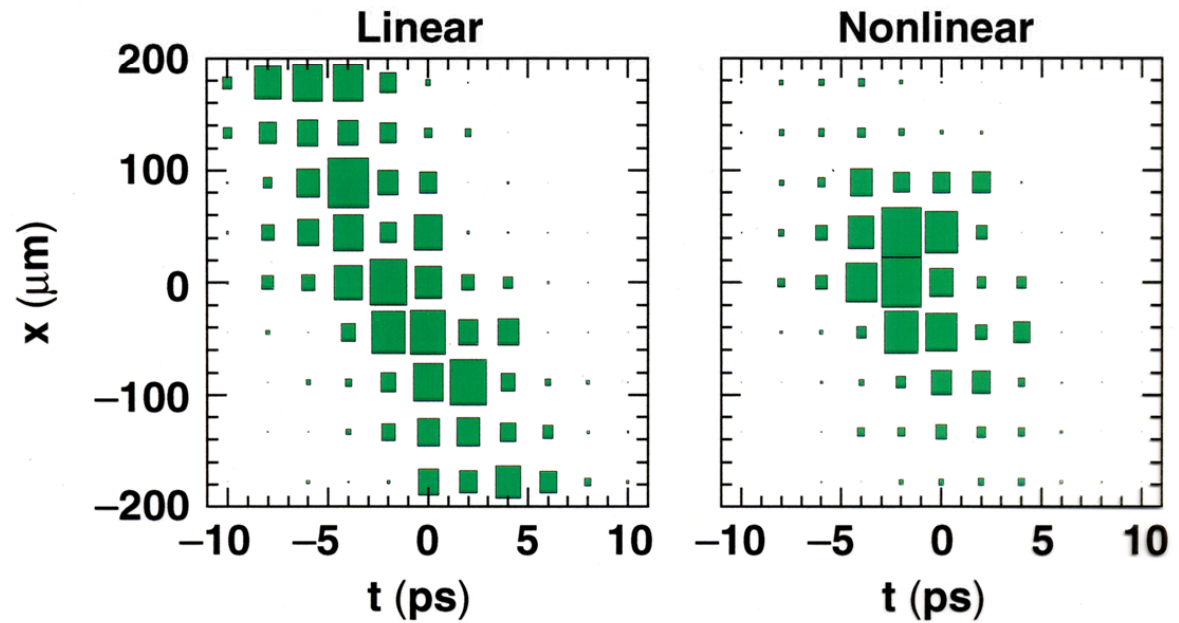


Overlap in space of LASER FOCUS and ELECTRON pulses

Maximize nonlinear Compton scatters



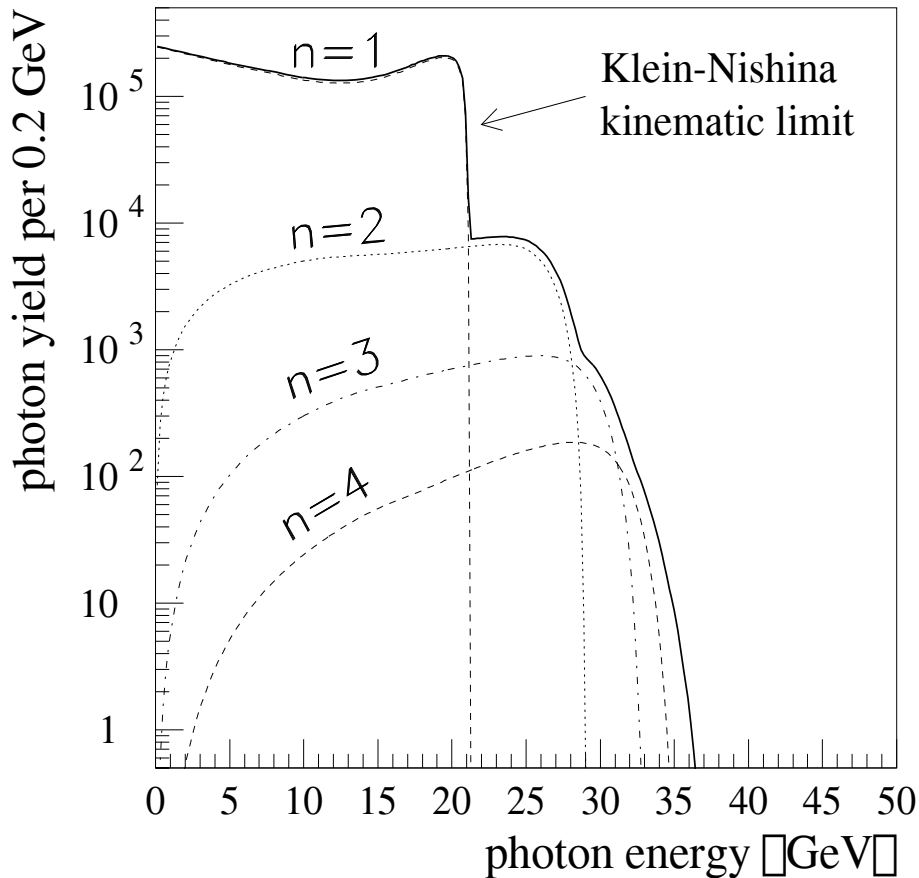
The electron beam must cross through the **focus** of the laser beam



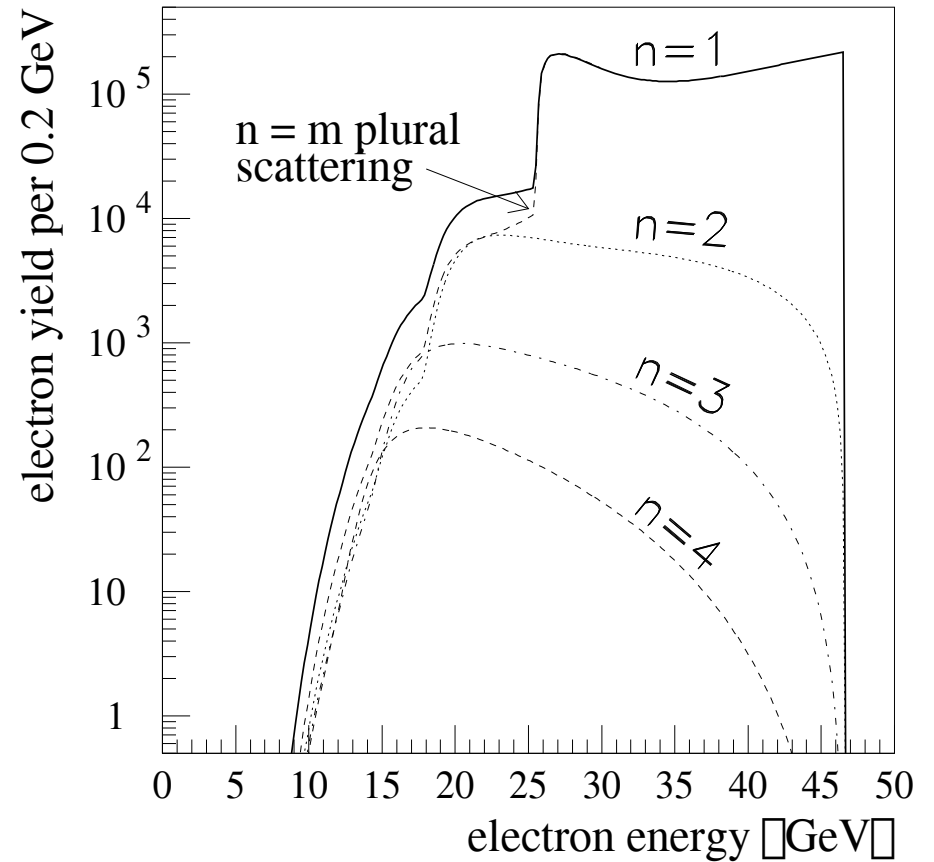
Non linear (multiphoton) Compton Scattering

n is the number of photons absorbed

The plots are for incident IR laser $\lambda = 1054$ nm

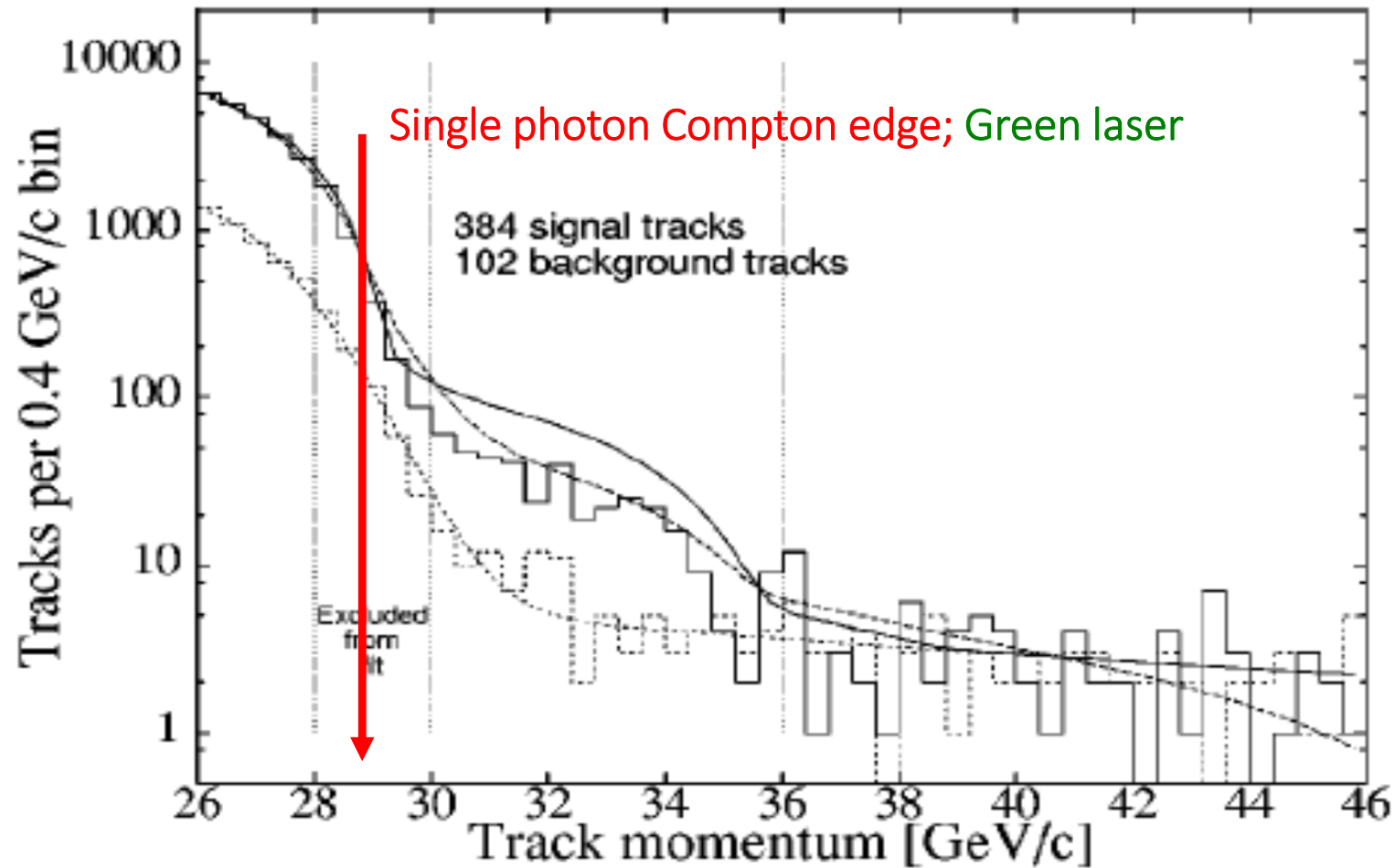


Photon energy in GeV, for IR laser



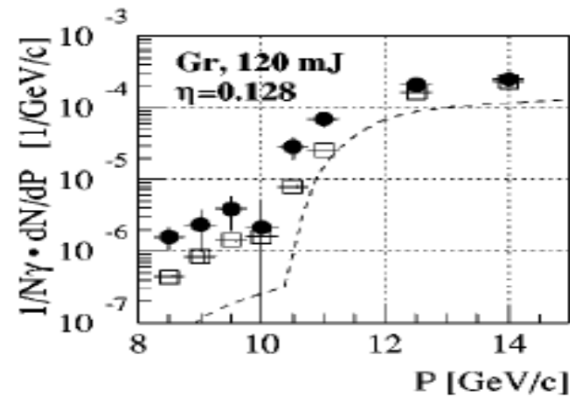
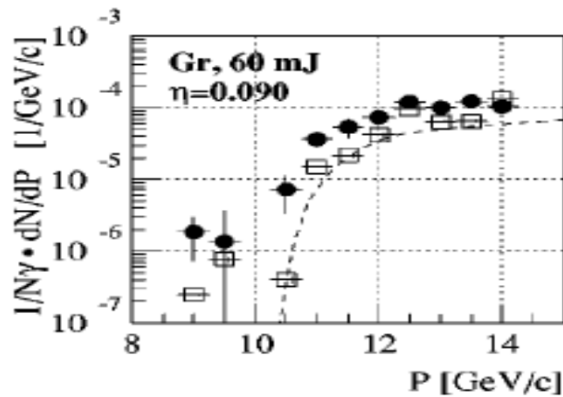
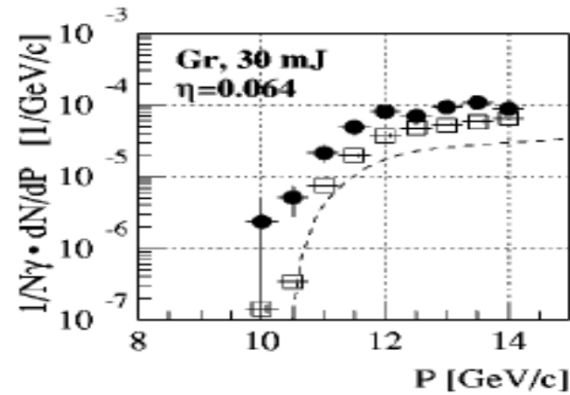
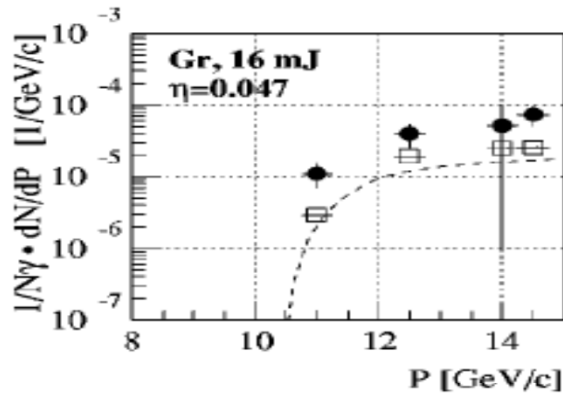
Electron energy in GeV, for IR laser

Forward going γ -rays measured in CCD pair spectrometer extend **beyond** the single photon Compton limit



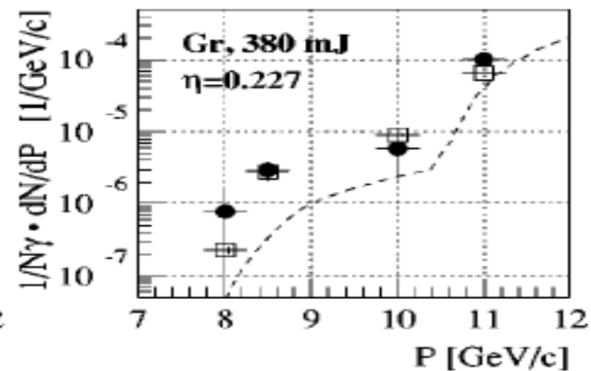
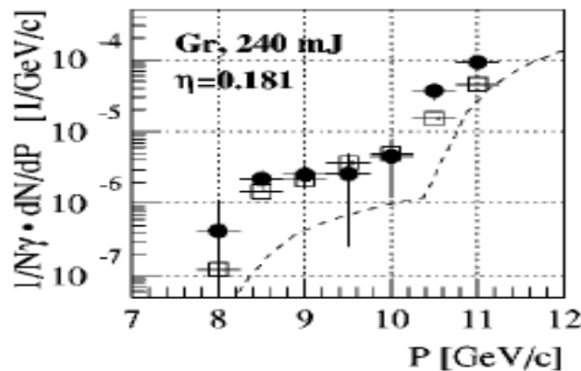
Recoil electrons measured in the e-calorimeter extend **below** the single photon Compton limit of 17.6 GeV for **green laser**

n=2 plateau



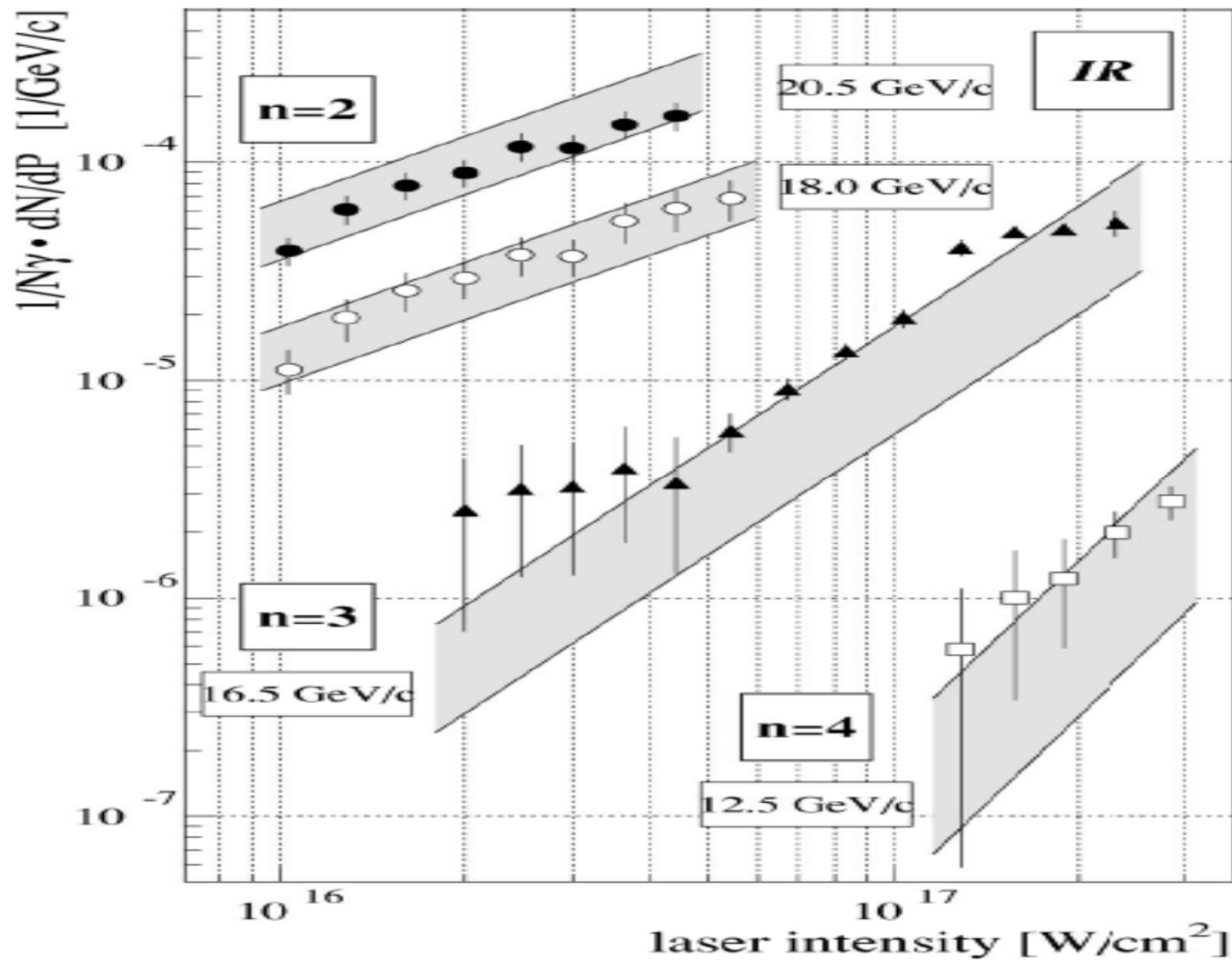
Dashed curves are for “plural scattering”

n=3 plateau



Scattered electron yield as a function of laser intensity

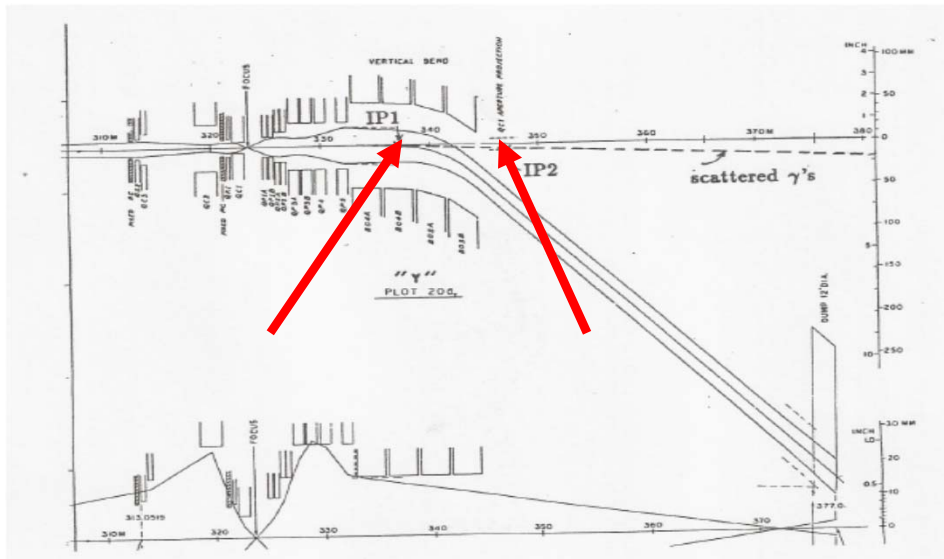
$(1/N)dN/dp$ proportional to $(\text{Intensity})^{n-1}$



Serendipity

In the proposal we planned to use two interaction regions: the first to produce the high energy γ , and the second for the γ to collide with the laser beam... Of course, the γ collides within the same laser pulse in which it is produced... and it suffices to detect the positron to establish the production of a pair !!

The original scheme was technically too challenging to have worked!!



The beam trace after the FFT final focus. The vertical dimensions are amplified by a factor of 100.

Note the location of the two proposed interaction regions, IP1 and IP2.

IDENTIFICATION OF POSITRONS

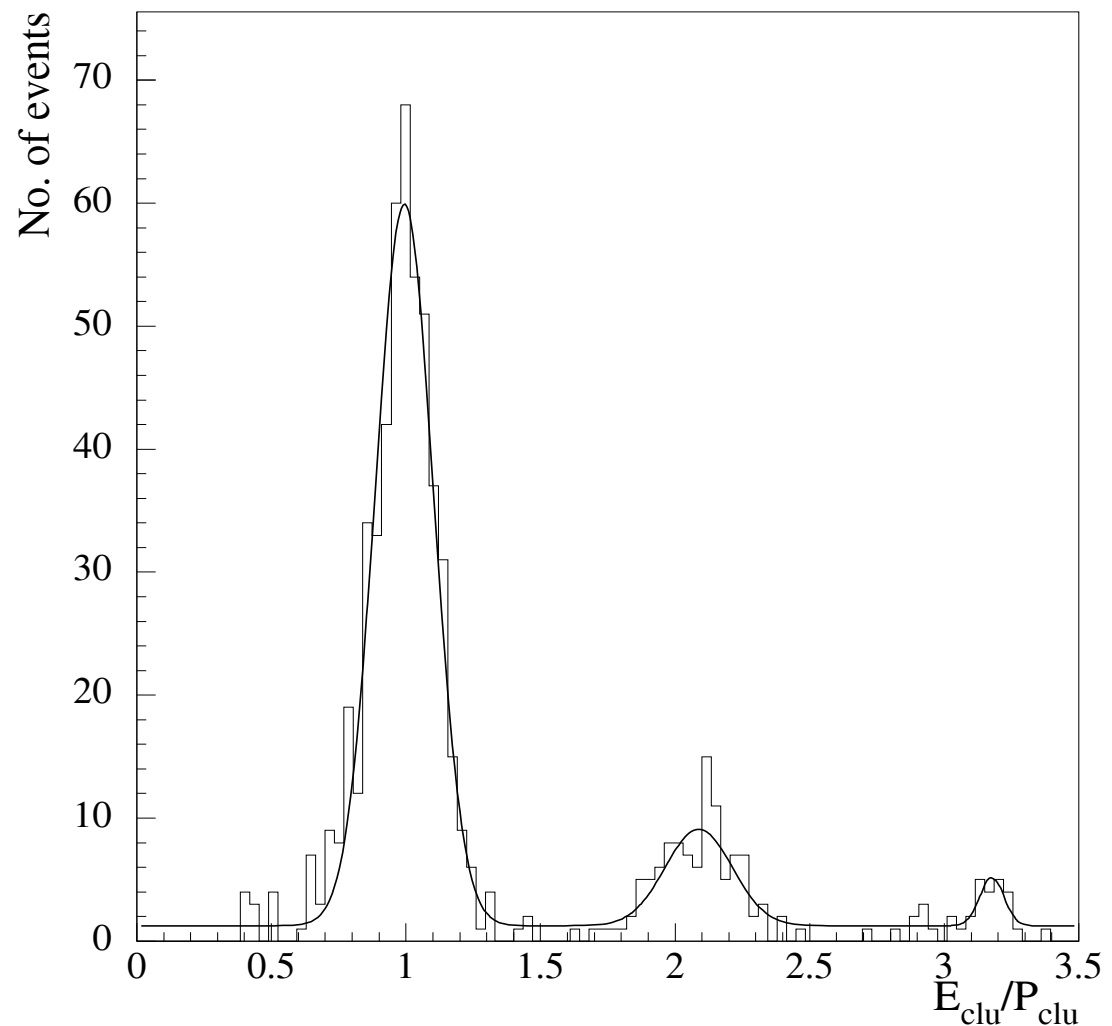
Measure energy in calorimeter cluster E_{cluster}

Measure momentum from impact position p_{cluster}

For positrons (no multiple hits)

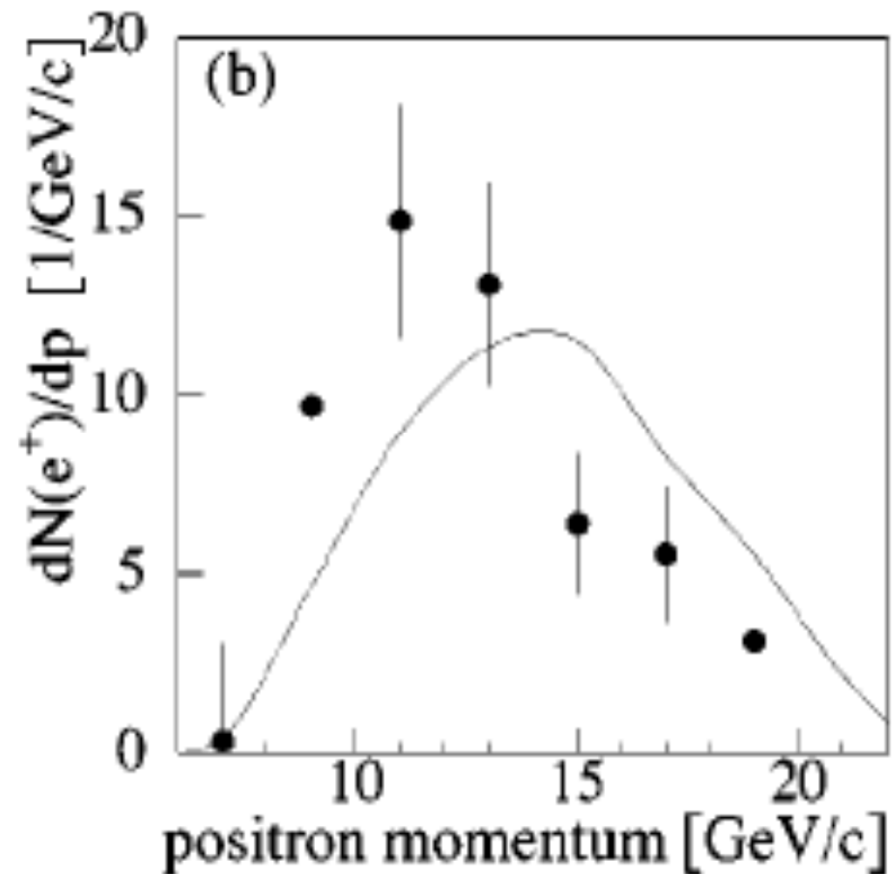
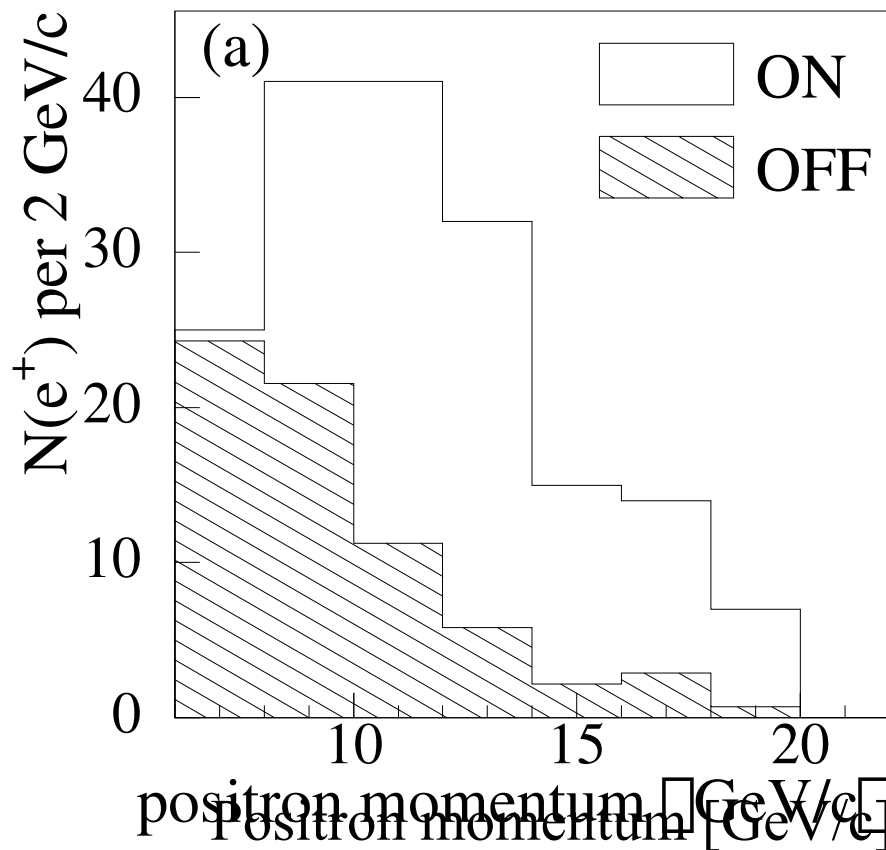
$$E_{\text{cluster}}/p_{\text{cluster}} = 1$$

Test data obtained by inserting a thin wire instead of the laser at the focus



Spectrum of observed positrons

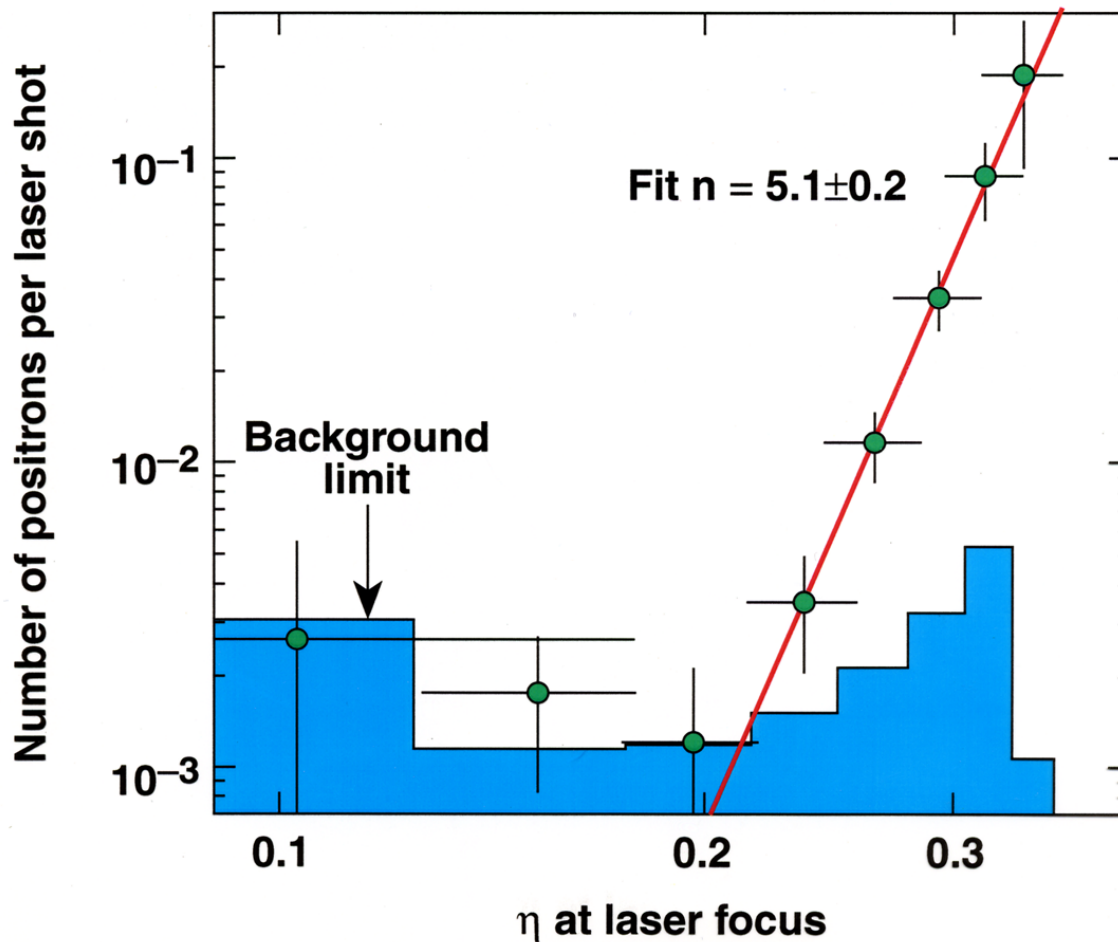
Momentum spectrum symmetric around $p = E_\gamma/2 = 13 \text{ GeV}$



POSITRON YIELD vs. LASER FIELD STRENGTH

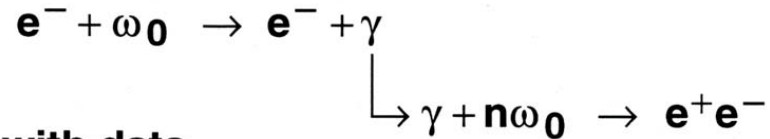
Process involving n laser photons has probability

$$P \sim \eta^{2n} \quad \text{where} \quad \eta^2 = \left[\frac{eE}{\omega mc} \right]^2 = \left[\frac{e}{\omega mc} \right]^2 Z_0 I$$

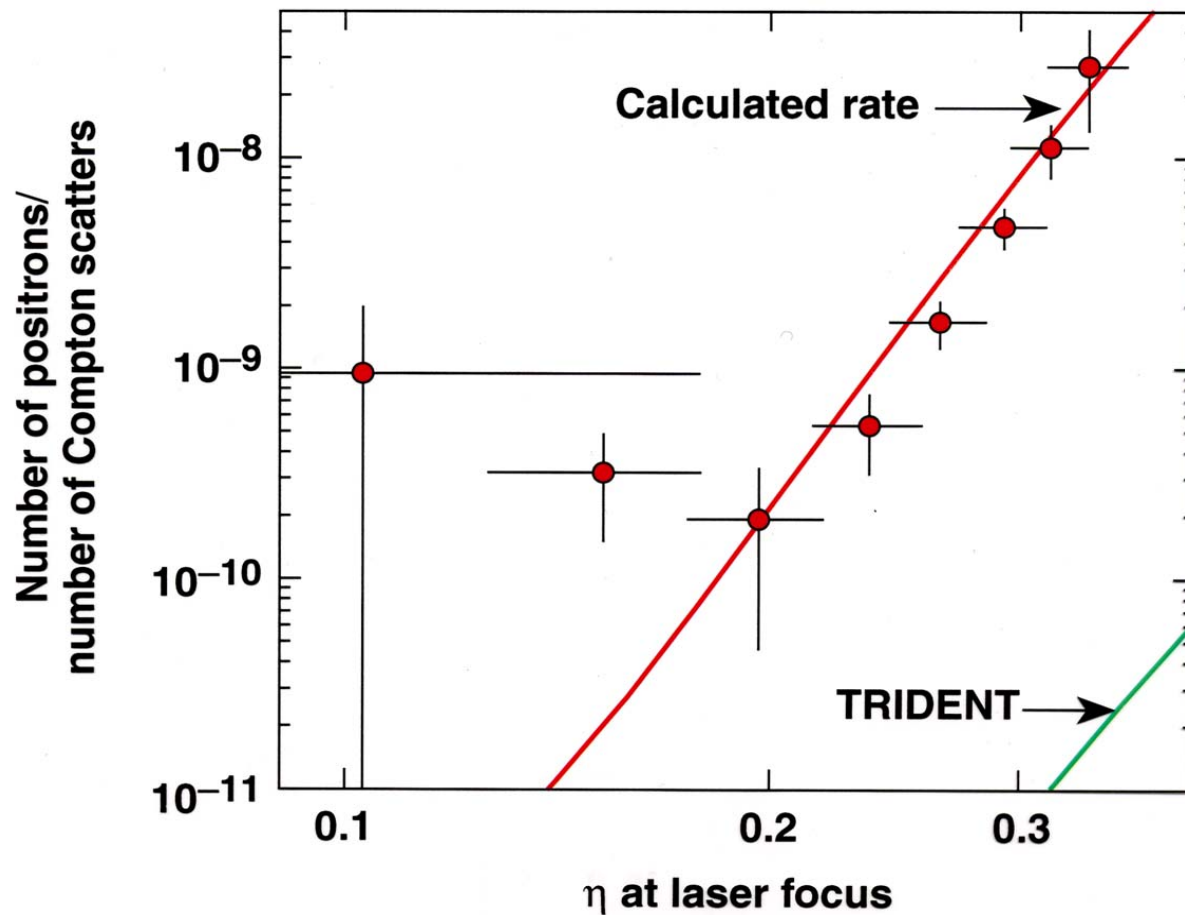


OBSERVED and CALCULATED RATE OF POSITRON PRODUCTION

- Exact calculation



- Agrees with data



Note log-log scale

Breakdown of the Vacuum

J.Schwinger Phys. Rev. **82**, 664 (1951)

Define critical field $E_c = mc^3/e\hbar$ and $Y = E/E_c$

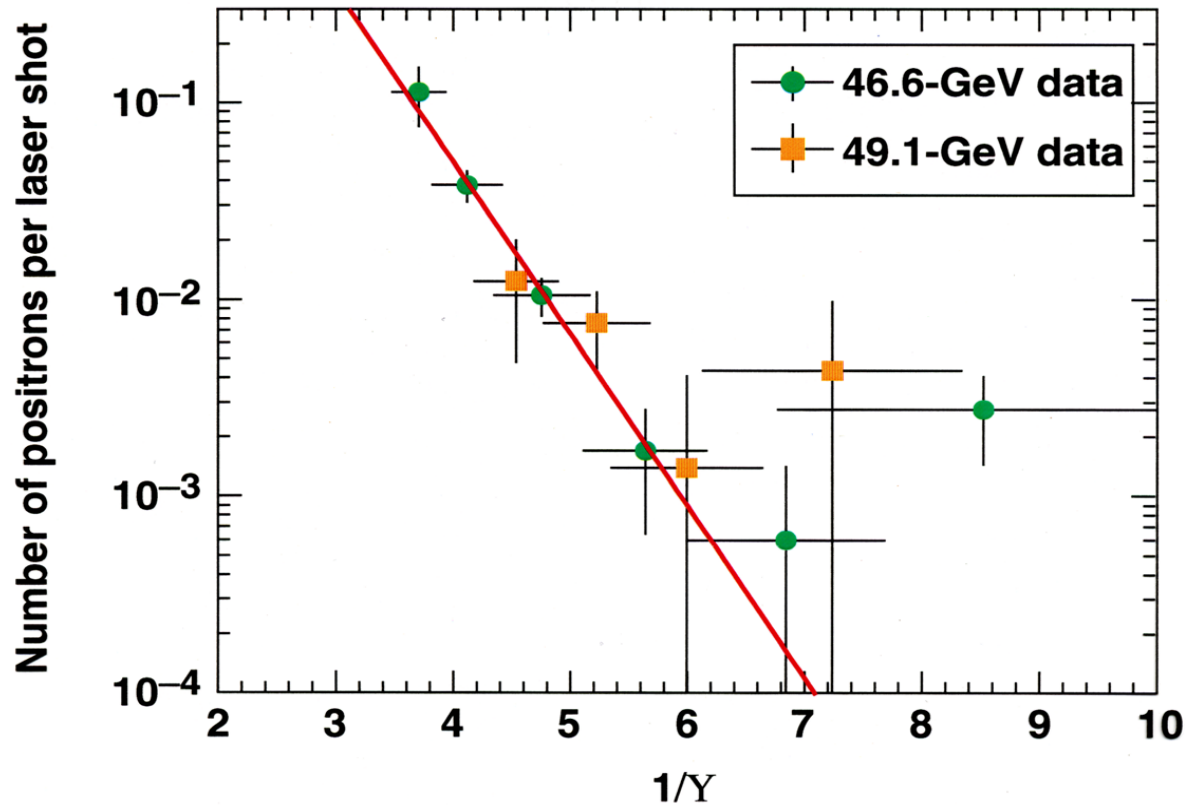
The probability for pair production is

$$W = \alpha (E/\pi)^2 e^{-\pi/Y}$$

In our case the Lorentz boosted E-field seen by the high energy photon leads to

$$Y_Y = (2\mathcal{E}_Y/mc^2)(E_{\text{rms}}/E_c)$$

POSITRON YIELD vs. $1/Y$



Fit to $e^{-\alpha/Y} \rightarrow \alpha = 2.02 \pm 0.12$

but $\alpha' = \alpha \sqrt{2} \left(\frac{30}{46.6} \right) = 1.84 \pm 0.11$

predicted $\alpha' = \pi g(\eta) = 2.06$



The cast of characters

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We thank the SLAC staff for their extensive support of this experiment. The laser system could not have been completed without support from members of the Laboratory for Laser Energetics at U. Rochester. T. Blalock was instrumental in the construction of the laser system and its installation at SLAC. We also thank U. Haug, A. Kuzmich, and D. Strozzi for participation in recent data collection, and A. Odian and P. Chen for many useful conversations. KTM thanks J.A. Wheeler for continued inspiration. This work

Supplementary Slides

FREQUENTLY MISSED POINT

A **single** laser beam can not produce e^+e^- pairs

TO PRODUCE A **MASSIVE** PAIR THE INVARIANT

$$\mathbf{I} = \mathbf{E}^2 - \mathbf{B}^2 \text{ must be } > 0$$

STATIC ELECTRIC FIELD $\mathbf{I} > 0$

STATIC MAGNETIC FIELD $\mathbf{I} < 0$

E.M. FIELD $\mathbf{I} = 0$

A standing wave is OK, but this is equivalent to **photon-photon scattering**.

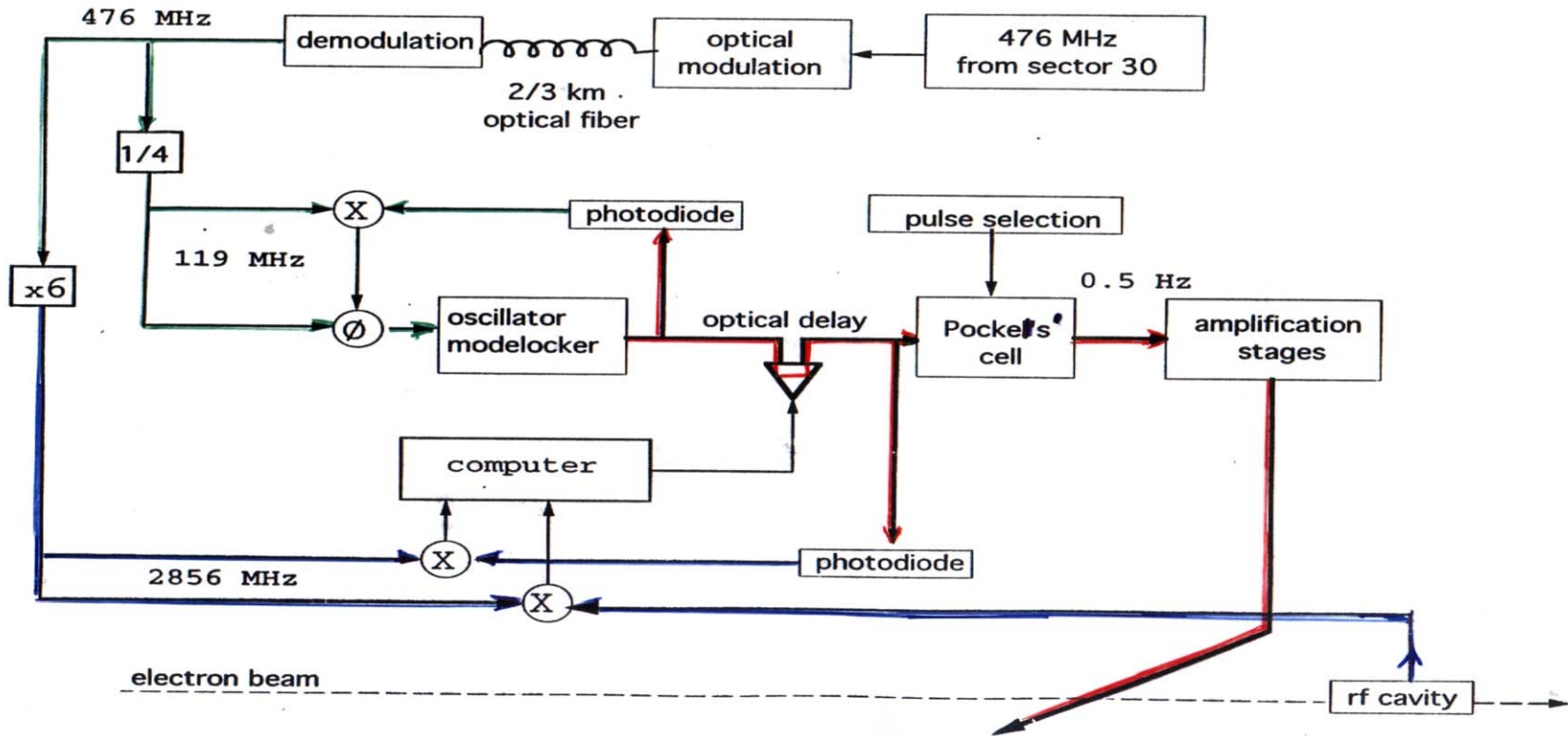
EXAMPLE: Using **colliding** x-ray beams from Free Electron Lasers

$$\lambda = 0.1 \text{ nm} \rightarrow \hbar\omega = 12 \text{ keV} \quad \text{If } \sigma = 0.1 \text{ nm}, \Delta t = 0.1 \text{ fs}$$

and $P = 4.5 \text{ TW}$ **30 e^+e^- pairs** are produced per pulse

LASER PULSE –ELECTRON BEAM SYNCHRONIZATION

Laser - electron synchronization
Goal: 1 ps



STRONG FIELD QED $E \geq E_c$

FIELD IN THE FOCUS OF AN INTENSE LASER BEAM

$$I_L = 10^{18} \text{ W/cm}^2 \rightarrow E_L = \sqrt{2Z_0 I_L} = 2.75 \times 10^{10} \text{ V/cm}$$

But if a 50 GeV electron ($\gamma = \mathcal{E}_e / mc^2 = 10^5$) traverses the focus,

IN THE ELECTRON REST FRAME

$$E^* = 2\gamma E_L = 5.5 \times 10^{15} \text{ V/cm} \approx 0.4 E_c$$

STRONG FIELDS ARE ALSO FOUND IN:

- “ATOMS” WITH $Z \geq 137$
- HEAVY ION COLLISIONS
- CHANNELING OF RELATIVISTIC ELECTRONS
- ASTROPHYSICAL ENVIRONMENTS (MAGNETIC FIELDS)

- 1929 Klein Paradox
- 1936 Heisenberg-Euler Lagrangian
- 1951 Schwinger Critical Field

A *virtual* e^+e^- pair travels a distance

$$\lambda_c = \hbar/mc$$

If the energy gained in that distance in a static electric field, equals the electron rest mass

$$eE\lambda_c = mc^2$$

The field will spontaneously break down into e^+e^- pairs

$$E_c = m^2c^3/e\hbar = 1.32 \times 10^{16} \text{ V/cm}$$

EM PROCESSES IN STRONG FIELD QED (Multiphoton Processes)

PERTURBATIVE

Dimensionless

Invariant Coupling (Instead of $e/\sqrt{\hbar c}$)

$$\eta = e (\sqrt{\langle A^\mu A_\mu \rangle})/mc = eE/\omega mc$$

A **classical** parameter (no \hbar). It **diverges** as $\omega \rightarrow 0$. When $\eta \geq 1$ relativistic effects are important. Processes involving n photons are proportional to η^{2n}

NON-PERTURBATIVE

$$Y = E^*/E_c = 2\gamma e E_L \hbar / (m^2 c^3)$$

When $Y \geq 1$ **pair production** is dominant.

$$\text{Probability/V-T} = (\alpha E^2 / \pi^2 \hbar) \exp(-\pi/Y)$$